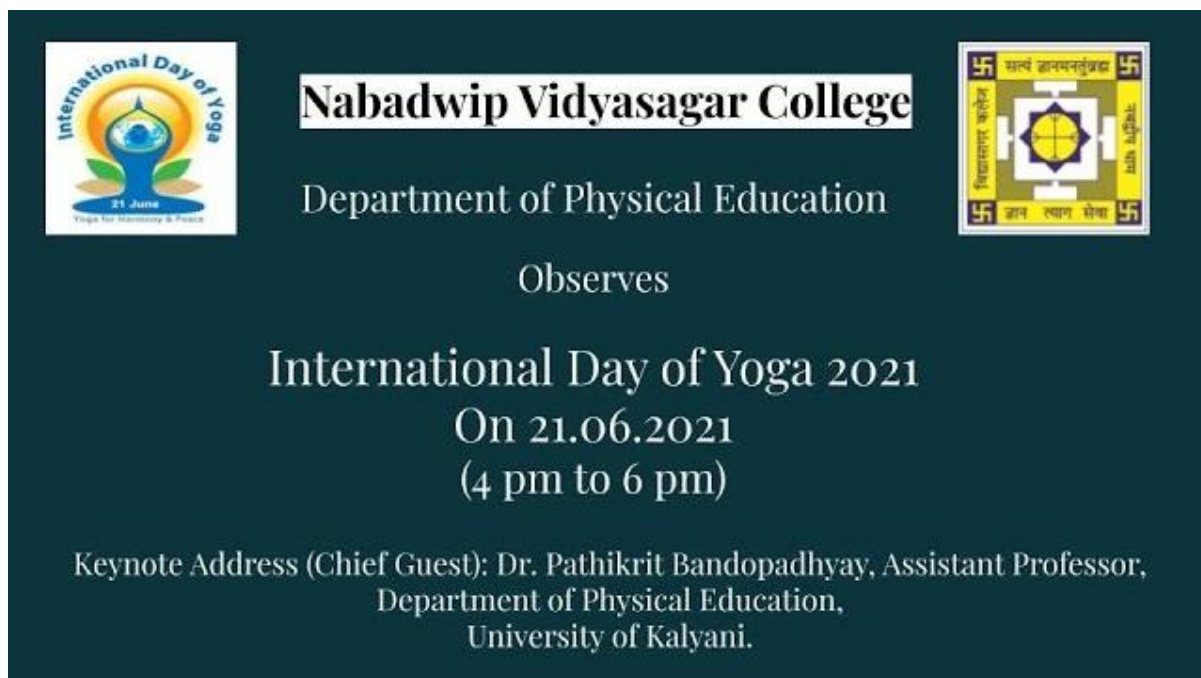


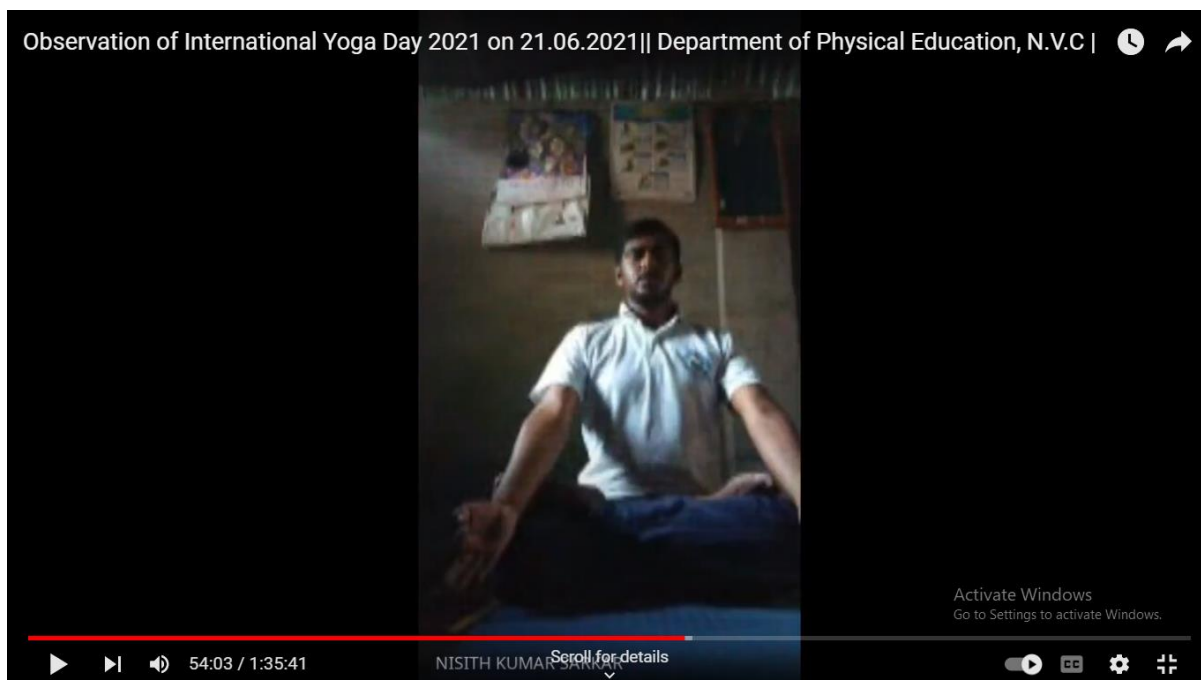
Skill Enhancement Activity (2021-22)

INTERNATIONAL YOGA DAY CELEBRATION (21.06.2021)

The Department of Physical Education in collaboration with I.Q.A.C organized a state level seminar on the observance of International Yoga Day (2021) on 21.06.2021. The welcoming speech by the principal was followed by the session from the honourable speaker Dr. Pathikrit Bandopadhyay, Asst. Professor, Department of Physical Education, University of Kalyani. A live performance was rendered by Mr. Nisith Kumar Sarkar (faculty) and the students of Physical Education Department, Nabadwip Vidyasagar College. Both the sessions garnered numerous views and universal applause. The webinar was concluded with a vote of thanks from Dr Bhaskar Chatterjee (Co-Ordinator of the IQAC, Nabadwip Vidyasagar College).



The poster features a dark teal background. On the left is the International Day of Yoga logo with the text '21 June Yoga Day Anniversary of Peace'. On the right is the Nabadwip Vidyasagar College logo with the motto 'सत्यं ज्ञानमनन्तं ब्रह्म' and 'विद्यावान् कर्तव्य' and 'ज्ञानं त्पानं सेवा'. The central text reads: 'Nabadwip Vidyasagar College', 'Department of Physical Education', 'Observes', 'International Day of Yoga 2021', 'On 21.06.2021', '(4 pm to 6 pm)'. At the bottom, it lists the 'Keynote Address (Chief Guest): Dr. Pathikrit Bandopadhyay, Assistant Professor, Department of Physical Education, University of Kalyani.'



Youtube Link: <https://www.youtube.com/watch?v=wXuXM7ELi8g>

Participants List

Sl. No	Name of the Participants	Semester
1.	Suman Saha	1 st Sem
2.	Riya Ghosh	1 st Sem
3.	Jotish Sarkar	1 st Sem
4.	Sanaar Uddin Sk	1 st Sem
5.	Amina Khatun	1 st Sem
6.	Anindita Das	1 st Sem
7.	Banasree Barman	1 st Sem
8.	Debasmita Sarkar	1 st Sem
9.	Jamuna Das	1 st Sem
10.	Marjina Khatun	1 st Sem
11.	Mem Barman	1 st Sem
12.	Pampa Dhara	1 st Sem
13.	Swagata Goswami	1 st Sem
14.	Banti Biswas	1 st Sem
15.	Dibyendu Das	1 st Sem
16.	Gopal Bairagya	1 st Sem
17.	Krishnendu Bhowmik	1 st Sem
18.	Eisha Mondal	4 th Sem
19.	Najiya Molia	4 th Sem
20.	Poulami Roy	4 th Sem
21.	Rekha Majhi	4 th Sem
22.	Saptami Baishnab	4 th Sem
23.	Saraswati Bag	4 th Sem
24.	Shibani Biswas	4 th Sem
25.	Masud Seikh	4 th Sem
26.	Raj Sk	4 th Sem
27.	Rakesh Roy	4 th Sem
28.	Soma Sarkar	4 th Sem
29.	Abhijid Das	4 th Sem
30.	Akash Das	4 th Sem
31.	Priti Mondal	4 th Sem
32.	Arpan Pandit	4 th Sem
33.	Basudev Bhakta	4 th Sem
34.	Jewel Sk	4 th Sem
35.	Koushik Santra	4 th Sem
36.	Kuntal Mondal	4 th Sem
37.	Marej Sk	4 th Sem
38.	Raj Sekhar Bala	4 th Sem
39.	Rajesh Debnath	4 th Sem
40.	Sk Wasim	4 th Sem
41.	Sohan Koner	4 th Sem
42.	Suman Sarkar	4 th Sem
43.	Gita Biswas	4 th Sem




Principal
Nabadwip Vidyasagar College
Nabadwip, Nadia-741302

Teaching different Computational Techniques to Students

After the implementation of CBCS in the UG Courses, Department of Physics started to teach different computation skills to the students to solve different problems using computer as mentioned in the syllabus. Some of the computational techniques are gnuplot, Fortran, LaTeX and scilab. Using gnuplot and scilab, students learn how to plot different functions whereas they can solve different problems like 1st & 2nd order differential equations, integrations, Dirac delta function, Bessel function, sum of an infinite series, least square fitting method, Schrodinger equation for the ground state and the first excited state of the Hydrogen atom for different potentials etc. using Fortran and scilab. LaTeX has also been taught to the students so that they can learn how to prepare documents. Approximately forty students per year are benefitted from these computational techniques.

Screenshots of the programs are provided underneath.



Principal
Nabadwip Vidyasagar College
Nabadwip, Nadia-741302

gnuplot

The screenshot shows a macOS desktop environment. In the background, a terminal window titled "Terminal - gnuplot - 98x33" displays the following text:

```
Last login: Wed Jan 6 15:16:54 on ttys000
local_povray.save: Permission denied

The default interactive shell is now zsh.
To update your account to use zsh, please run `chsh -s /bin/zsh`.
For more details, please visit https://support.apple.com/kb/HT288050.
Nirmalendu's-MBP:~ nirmalenduganai$ gnuplot

gnuplot
gnuplot 5.4 patchlevel 0 last modified 2020-07-13
Copyright (C) 1986-1993, 1998, 2004, 2007-2020
by Thomas Williams, Colin Kelley and many others

gnuplot home: http://www.gnuplot.info
Report bugs, etc.: type "help FAQ"
Obtain more help: type "help" (plot window: hit 'h')

The shell is now 'qt'.
in(x) noti
gnuplot: Populating font family aliases took 579 ms. Replace uses of missing font families with one that exists to avoid this cost.
in(x) noti w l lw 2.0
in(x) noti w l lw 3.0
in(x) noti w p
in(x) noti w p ps 1.0
in(x) noti w p ps 2.0
in(x) noti w lp
in(x) noti w lp lw 2.0 ps 2.0
in(x) noti w lp lw 2.0 ps 2.0 lc 1
```

In the foreground, there are two "Gnuplot window 0" windows. The one in front shows a plot of a sine wave with purple markers. The plot has a y-axis ranging from -1.0 to 1.0 and an x-axis ranging from -10 to 10. The plot title is "10, 2009, -0.141195".



Nirmalendu Ganai

LATEX

competition by taking over the compartment which is also suggested by ref. [Liu\(2014\)](#) for a competition on a substrate where the interface separating the two tissues propagates with constant velocity, which grows linearly with the difference of their homeostatic pressures. In both cases, they have used the value of cross-adhesion strength identical to the value of self-adhesion strength. In this work, we study three dimensional tissue competition using a minimalistic mesoscale simulation model [Ganan\(2011, 2015\)](#). Again, we find that the tissue with higher homeostatic pressure invades the other one. However, for non-identical adhesion strengths the result is surprising. We find that two different tissues can coexist though they have different homeostatic pressures, if the cross-adhesion strength between the two competing tissues is lower than their self-adhesion strengths.

2 Simulation Model

In order to study tissue competition, we have utilized the same minimalistic mesoscale simulation model as implemented in [Ganan\(2011, 2015\)](#). In this model, a cell is represented by two point particles i and j which are repelling each other by a growth force $\vec{F}_i = \frac{\mu_i}{r_{ij}^2} \hat{r}_{ij}$ where μ_i is the strength of the growth force, r_{ij} is the distance and \hat{r}_{ij} is the distance and unit displacement vector between the particles i and j belonging to the same cell and r_c is some constant. When the distance between the two particles of a cell reaches a certain critical size r_c then the cell divides. Division produces two new cells from a single mother cell. To incorporate this fact, new particles are placed randomly very close to i and j of the original cell which then act as two newborn cells. Apoptosis is implemented by complete removal of cells at constant rate λ_i . Cell division and apoptosis are only the active processes in our simulation. The volume exclusion force $\vec{F}_{ij} = -\frac{\lambda_i}{r_{ij}^2} \hat{r}_{ij}$ is used to ensure impenetrability of cells, where λ_i denotes the cell-cell potential coefficient and r_c is the cut-off distance of all interactions acting between two particles i and j belonging to the different cells. The cell adhesion is modelled by taking a simple constant force $\vec{F}_{ij} = -\lambda_{ij} \hat{r}_{ij}$ with the adhesion strength λ_{ij} .



Nirmalendu Ganan

Fortran

```
Terminal - bash - 80x35
test_IF_DO.F90 - /Users/...
1 program test
2 implicit none
3 integer :: i
4 real ::
5 real, parameter :: pi = 3.14
6 integer, parameter ::
7 i = 0
8 !!2 write(*,*) 'Hello World'
9 i = i + 1
10 !!ff1.le.10!goto 12
11 !write(*,*) i
12 !read(*,*) i
13
14
15 if (i.ge.90) then
16   write(*,*) 'Excellent Result'
17 elseif (i.lt.90.and.i.ge.80)
18   write(*,*) 'Good Result'
19 elseif (i.lt.80.and.i.ge.60)
20   write(*,*) 'Average Result'
21 elseif (i.lt.60) then
22   write(*,*) 'Poor Result'
23 endif
24
25 do i = 1,10,1
26   write(*,*) i = ', '
27 enddo
28
29 end program test
30
```

```
Terminal - bash - 80x35
50
Poor Result
Nirmalendu's-MBP:test nirmalendugana1$ ./a.out
60
Average Result
Nirmalendu's-MBP:test nirmalendugana1$ ./a.out
80
Good Result
Nirmalendu's-MBP:test nirmalendugana1$ ./a.out
95
Excellent Result
Nirmalendu's-MBP:test nirmalendugana1$ ./a.out
^Z
[3]+ Stopped ./a.out
Nirmalendu's-MBP:test nirmalendugana1$ ifort test_IF_DO.F90
Nirmalendu's-MBP:test nirmalendugana1$ ./a.out
60
Average Result
Nirmalendu's-MBP:test nirmalendugana1$ ./a.out
59
Poor Result
Nirmalendu's-MBP:test nirmalendugana1$ ifort test_IF_DO.F90
Nirmalendu's-MBP:test nirmalendugana1$ ./a.out
Poor Result
i = 1
i = 2
i = 3
i = 4
i = 5
i = 6
i = 7
i = 8
i = 9
i = 10
Nirmalendu's-MBP:test nirmalendugana1$
```



Nirmalendu Ganai

Fortran

```
Terminal Shell Edit View Window Help
input_output.f90 - /User
input_output.f90
1 program input_output
2 implicit none
3 integer :: j
4 real :: radius,diameter,
5 real, parameter :: pi =
6 integer, parameter :: i=
7 write(*,*)'Type the value
8 read(*,*)radius
9 diameter = 2.*radius
10 perimeter = 2.*pi*radius
11 surf_area = 4.*pi*radius
12 volume = 4./3.*pi*radius
13 write(10,*)diameter
14
15 end program input_output
16

Terminal - bash - 90x36
For more details, please visit https://support.apple.com/kb/HT208850.
Nirmalendu's-MBP:- nirmalenduganai$ cd N.V.C/Class_Notes/
.DS_Store
Beta_Gamma_Error_Functions.pdf
Control_Force.pdf
Coordinate_Systems.pdf
Elasticity.pdf
Fourier_Analysis.pdf
Frobenius_Method_Examples.pdf
Gravitation.pdf
Latex/
Notes_AC_Circuits_MIT.pdf
Notes_Alternating_Current.pdf
Notes_Network_Theorem.pdf
Notes_Network_Theorems.pdf
Orthogonality_Associated_Legendre_Polynomials.png
Recurrence_Formula.png
Rodrigue's_Formula.png
Rotating_Frame_of_Reference.pdf
SEC-01_Computational_Physics_Skills.pdf
SHM_Damped_Forced_Vibration.pdf
Series_Solution.pdf
Untitled.jpeg
Viscosity.pdf
code/
gnuplot_class/
Nirmalendu's-MBP:- nirmalenduganai$ cd N.V.C/Class_Notes/code/test/
Nirmalendu's-MBP:test nirmalenduganai$ ls
a.out      test.f90
Nirmalendu's-MBP:test nirmalenduganai$ cp test.f90 input_output.f90
Nirmalendu's-MBP:test nirmalenduganai$ gfortran input_output.f90
Nirmalendu's-MBP:test nirmalenduganai$ ./a.out
Type the value of Radius
2.0
Nirmalendu's-MBP:test nirmalenduganai$
```



Nirmalendu Ganai

Page 1.
Date 4/13/22

```

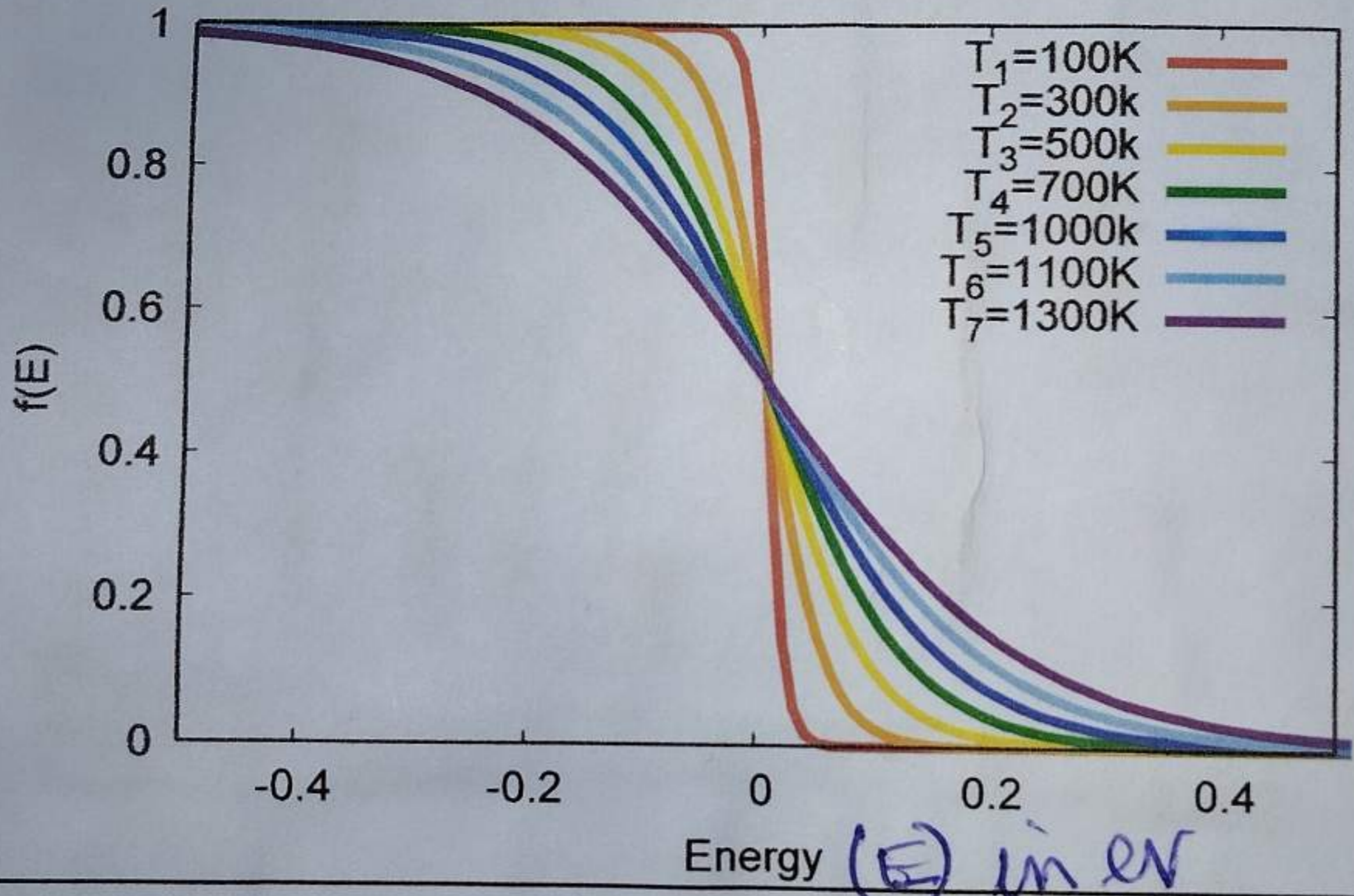
#plot Fermi-Dirac distribution function vs temperature
set title "Fermi-Dirac Distribution Function"
set xrange[-0.5:0.5]
set yrange[0:1]
set xlabel "Energy"
set ylabel "f(E)"
e=1.6e-19
k=1.38e-23
u=0
a=1
T1=100
T2=300
T3=500
T4=700
T5=1000
T6=1100
T7=1300
f1(x)=1/(exp(((x-u)*e)/(k*T1))+a)
f2(x)=1/(exp(((x-u)*e)/(k*T2))+a)
f3(x)=1/(exp(((x-u)*e)/(k*T3))+a)
f4(x)=1/(exp(((x-u)*e)/(k*T4))+a)
f5(x)=1/(exp(((x-u)*e)/(k*T5))+a)
f6(x)=1/(exp(((x-u)*e)/(k*T6))+a)
f7(x)=1/(exp(((x-u)*e)/(k*T7))+a)
plot f1(x) title "T_1=100K" lw 5 lc rgb "red", f2(x) title "T_2=300k" lw 5 lc rgb "orange",
f3(x) title "T_3=500k" lw 5 lc rgb "yellow", f4(x) title "T_4=700K" lw 5 lc rgb "green", f5(x)
title "T_5=1000k" lw 5 lc rgb "blue", f6(x) title "T_6=1100K" lw 5 lc rgb "skyblue", f7(x) title
"T_7=1300K" lw 5 lc rgb "dark-violet"
set term post solid color eps enhanced "Helvetica" 22 lw 2.0
set output "FD.eps"
rep

gnuplot> load 'Fermi-dirac.gnu'

```

@Jawai
08/04/2022

Fermi-Dirac Distribution Function



Page-2

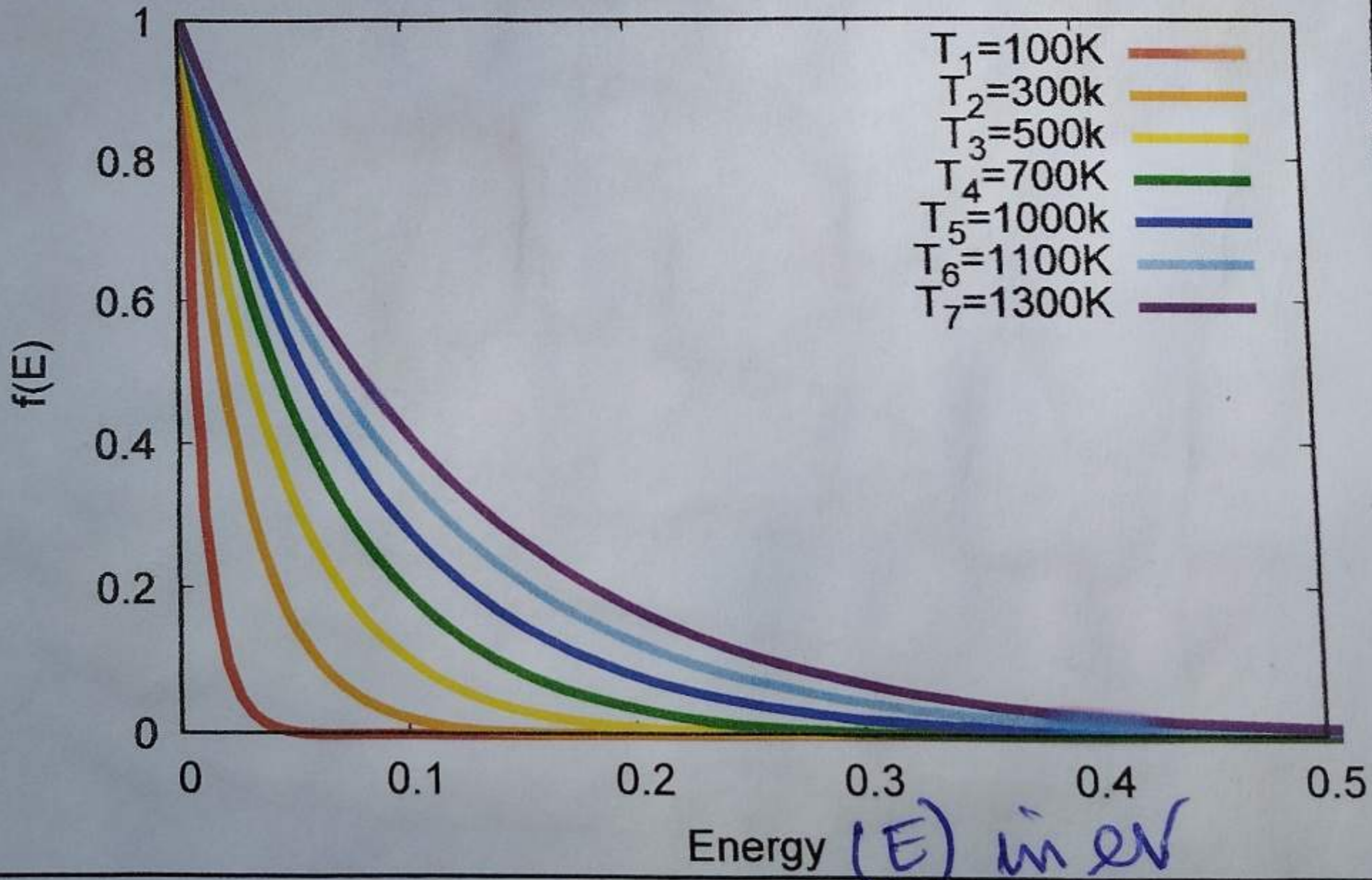
Date 15/3/22

```
gnuplot Maxwell-Boltzmann distribution function vs temperature
set title "Maxwell-Boltzmann distribution function"
set xrange[0:0.5]
set yrange[0:1]
set xlabel "Energy"
set ylabel "f(E)"
e=1.6e-19
k=1.38e-23
u=0
a=0
T1=100
T2=300
T3=500
T4=700
T5=1000
T6=1100
T7=1300
f1(x)=1/(exp(((x-u)*e)/(k*T1))+a)
f2(x)=1/(exp(((x-u)*e)/(k*T2))+a)
f3(x)=1/(exp(((x-u)*e)/(k*T3))+a)
f4(x)=1/(exp(((x-u)*e)/(k*T4))+a)
f5(x)=1/(exp(((x-u)*e)/(k*T5))+a)
f6(x)=1/(exp(((x-u)*e)/(k*T6))+a)
f7(x)=1/(exp(((x-u)*e)/(k*T7))+a)
plot f1(x) title "T_1=100K" lw 5 lc rgb "red", f2(x) title "T_2=300k" lw 5 lc rgb "orange",
f3(x) title "T_3=500k" lw 5 lc rgb "yellow", f4(x) title "T_4=700K" lw 5 lc rgb "green", f5(x)
title "T_5=1000k" lw 5 lc rgb "blue", f6(x) title "T_6=1100K" lw 5 lc rgb "skyblue", f7(x) title
"T_7=1300K" lw 5 lc rgb "dark-violet"
set term post solid color eps enhanced "Helvetica" 22 lw 2.0
set output "MB.eps"
rep

gnuplot> load 'Maxwell-Boltzmann.gnu'
```

@Javai
08/04/2022

Maxwell-Boltzmann distribution function



gnuplot

```
plot Bose-Einstein Distribution Function vs temperature
```

```
set title "Bose-Einstein Distribution Function "
```

```
set xrange[0:0.1]
```

```
set yrange[0:10]
```

```
set xlabel "Energy" (E) in eV
```

```
set ylabel "f(E)"
```

```
e=1.6e-19
```

```
k=1.38e-23
```

```
u=0
```

```
a=-1
```

```
T1=100
```

```
T2=300
```

```
T3=500
```

```
T4=700
```

```
T5=1000
```

```
T6=1100
```

```
T7=1300
```

```
f1(x)=1/(exp(((x-u)*e)/(k*T1))+a)
```

```
f2(x)=1/(exp(((x-u)*e)/(k*T2))+a)
```

```
f3(x)=1/(exp(((x-u)*e)/(k*T3))+a)
```

```
f4(x)=1/(exp(((x-u)*e)/(k*T4))+a)
```

```
f5(x)=1/(exp(((x-u)*e)/(k*T5))+a)
```

```
f6(x)=1/(exp(((x-u)*e)/(k*T6))+a)
```

```
f7(x)=1/(exp(((x-u)*e)/(k*T7))+a)
```

```
plot f1(x) title "T_1=100K" lw 5 lc rgb "red", f2(x) title "T_2=300k" lw 5 lc rgb "orange",  
f3(x) title "T_3=500k" lw 5 lc rgb "yellow", f4(x) title "T_4=700K" lw 5 lc rgb "green", f5(x)  
title "T_5=1000k" lw 5 lc rgb "blue", f6(x) title "T_6=1100K" lw 5 lc rgb "skyblue", f7(x) title  
"T_7=1300K" lw 5 lc rgb "dark-violet"
```

```
set term post solid color eps enhanced "Helvetica" 22 lw 2.0
```

```
set output "BE.eps"
```

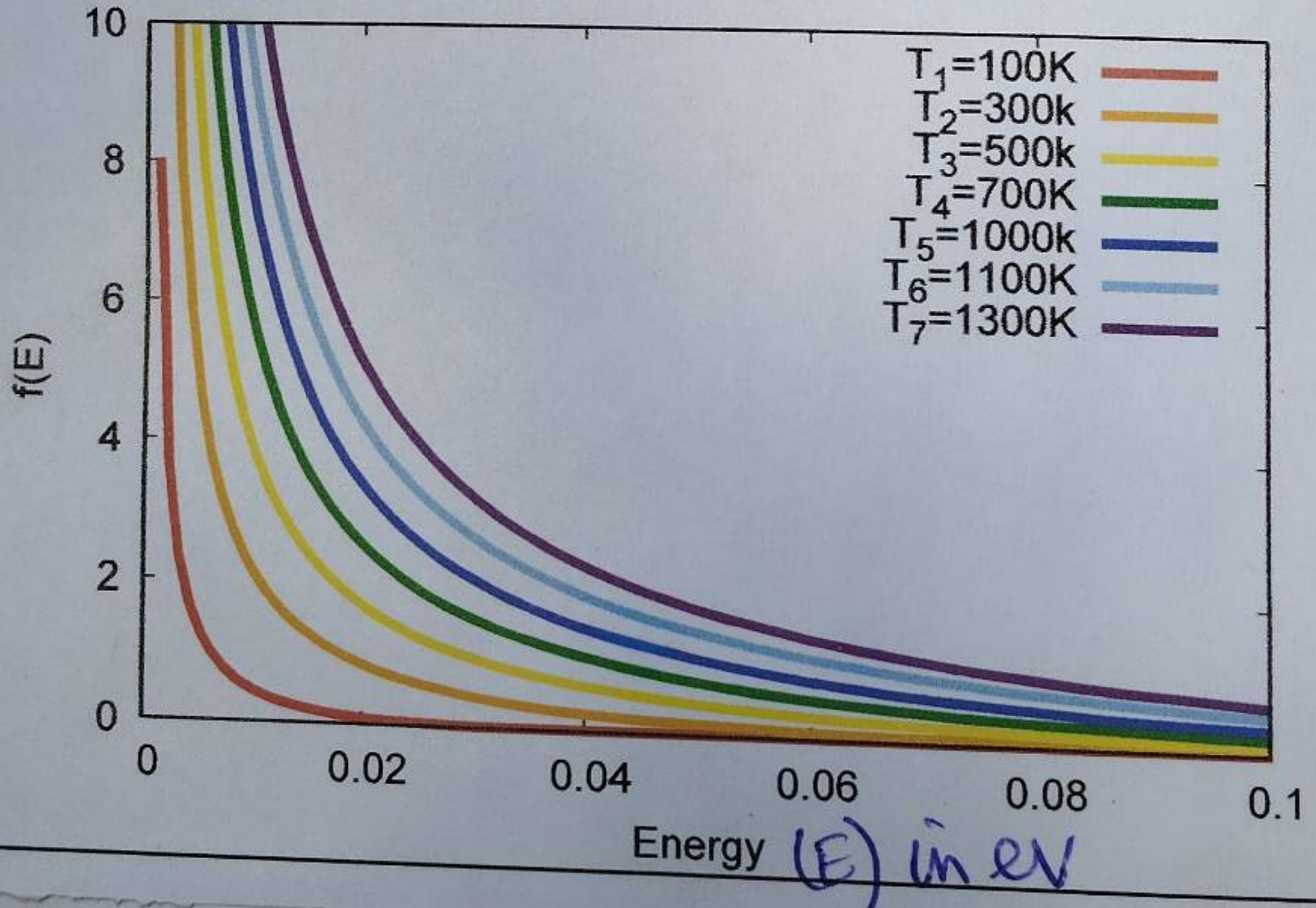
```
rep
```

```
gnuplot> load 'Bose-Einstein.gnu'
```

page 3
Date 11/3/22

W. J. J. J.
09/04/2022

Bose-Einstein Distribution Function



gnuplot

```
#plot planck's law for black body radiation and compare it with  
wein's law and rayleigh-jeans law at room temperature
```

```
set title "Planck's law vs Wein's law vs Raleigh-Jeans law"
```

```
set xlabel "wavelength" ( $\lambda$ )
```

```
set ylabel "energy density"  $u_\lambda$ 
```

```
set xrange[0:6e-5]
```

```
set yrange[0:1.5e7]
```

```
h=6.626e-34
```

```
c=3e8
```

```
k=1.38e-23
```

```
T=300
```

```
p(x)=(2*h*c**2/x**5)*(1/(exp(h*c/(x*k*T))-1))
```

```
r(x)=2*c*k*T/x**4
```

```
w(x)=(2*h*c**2/x**5)*(exp(-(h*c/(x*k*T))))
```

```
plot p(x) title "planck's law" lw 5 lc rgb "red", r(x) title "raleigh jeans  
law" lw 5 lc rgb "blue", w(x) title "wein's law" lw 5 lc rgb "black"
```

```
set term post solid color eps enhanced "Helvetica" 22 lw 2.0
```

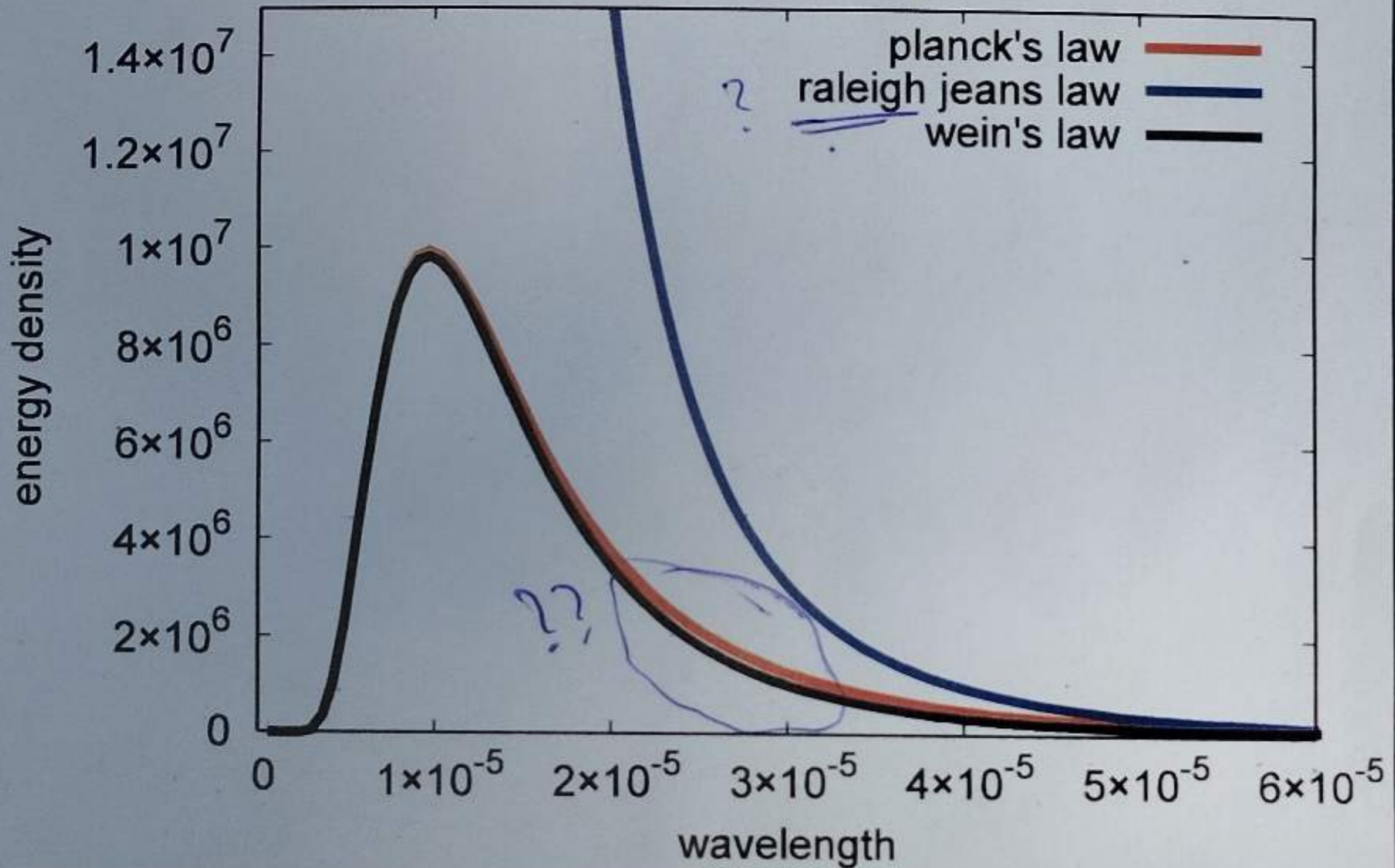
```
set output "graph_pwr.eps"
```

```
rep
```

Asanai
09/04/2022

Rayleigh

Planck's law vs Wein's law vs Raleigh-Jeans law



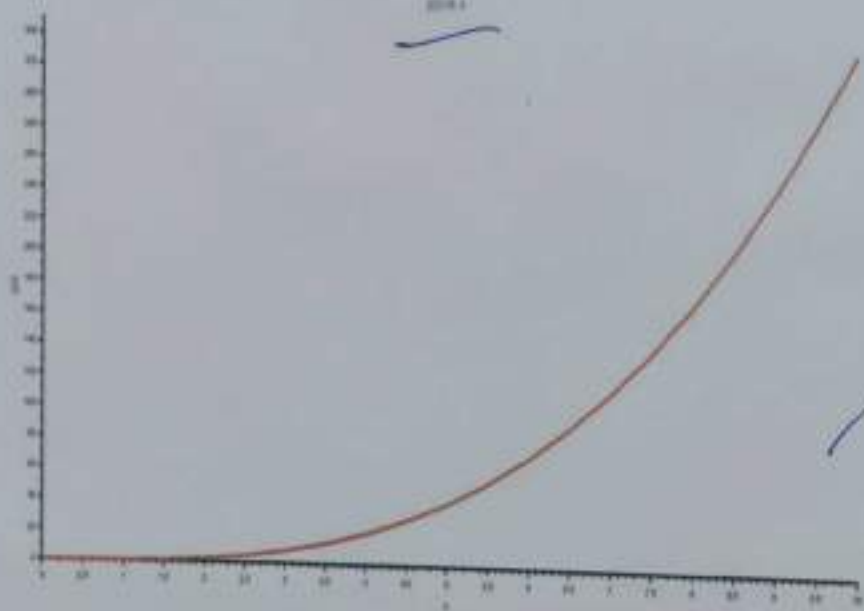
Scilab

• SOLVE DIFFERENTIAL EQUATION :

```
clf;
function a=f(x, y)
a=x^2-exp(-x)*y
endfunction
y0=0
x0=0
x=[0:0.5:10]
sol=ode(y0,x0,x,f)
//disp(x,sol)
xset("thickness",3)
plot2d(x,sol,5)
xlabel('x')
ylabel('y(x)')
title('y(x) vs. x')
//xgrid(0)
```

@Anai
14/05/22

• OUTPUT :



Scilab

- DIRAC DELTA FUNCTION :

```
function y=f(x)
y=(1/sqrt(2*(%pi)*(sigma^2)))*exp(-(x-2)^2/(2*(sigma^2)))*(x+3)
endfunction
sigma=0.01
l=integrate('f(x)','x',-4,4)
disp(l)
```

- OUTPUT :

= 5.0000000

Pravai
14/06/22

Scilab

- FOURIER SERIES : PROGRAM TO SUM

```
sum=0
term=1
n=30
for i=1:1:n
term=term*0.2
sum=sum+term
end
disp(sum)
```

$$\frac{\sum (0.2)^n}{2}$$

- OUTPUT :

= 0.2500000



W. Jaisai
14/06/22

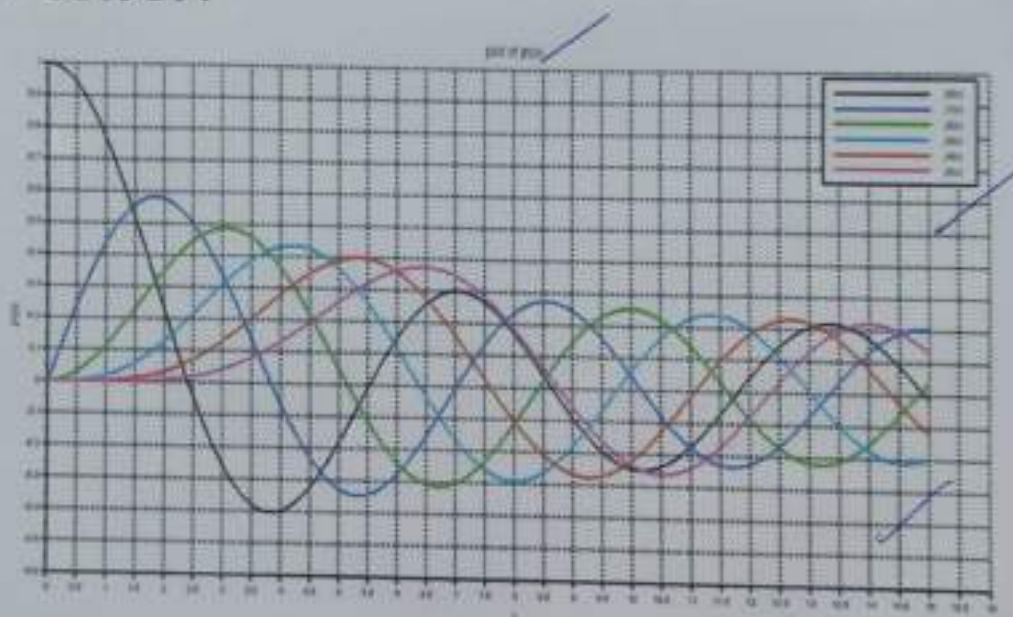
Scilab

- BESSEL FUNCTION :

```
funcprot(0)
function jn=j(n, x)
sum=0.0
for m=0:30
den=factorial(m)*factorial(m+n)
sum=sum+((-1)^m)*((x/2)^(2*m+n))/den
end
jn=sum
endfunction
clf;
x=0:0.1:15
for n=0:5
xset("thickness",3)
plot2d(x,j(n,x),n+1)
xgrid(0)
xtitle('plot of jn(x)', 'x', 'jn(x)');
hl=legend(['j0(x)'; 'j1(x)'; 'j2(x)'; 'j3(x)'; 'j4(x)'; 'j5(x)']);
end
```

Pranavi
14/06/22

• OUTPUT :



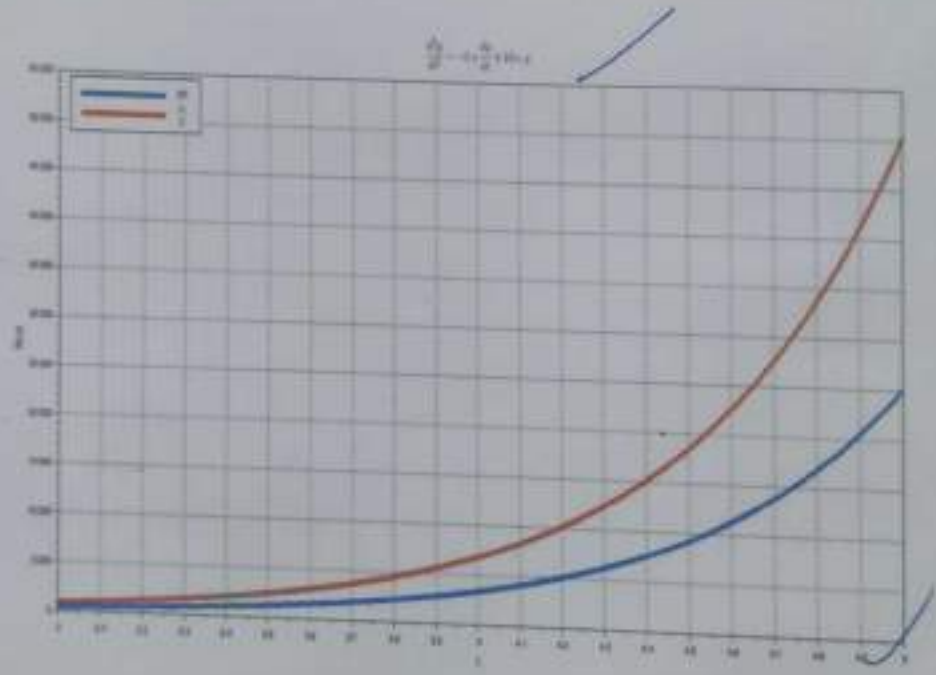
Scilab

• 2ND ORDER DIFFERENTIAL EQUATION :

```
clf
function dy=f(t, y)
dy(1)=y(2)
dy(2)=-3*y(2)+10*y(1)
endfunction
t0=0
y0=1
dy0=3
t=3:0.01:5
y=ode([y0;dy0],t0,t,f)
plot(t,y(1,:), "b", 'linewidth',5)
plot(t,y(2,:), "r", 'linewidth',5)
xlabel("$\frac{d^2 y}{dt^2}=-3*\frac{dy}{dt}+10*y$", "t", "f(t,y)")
hl=legend(['y(t)'; "$\frac{dy}{dt}$"],[2])
xgrid(0)
```

Signature
14/06/22

• OUTPUT :



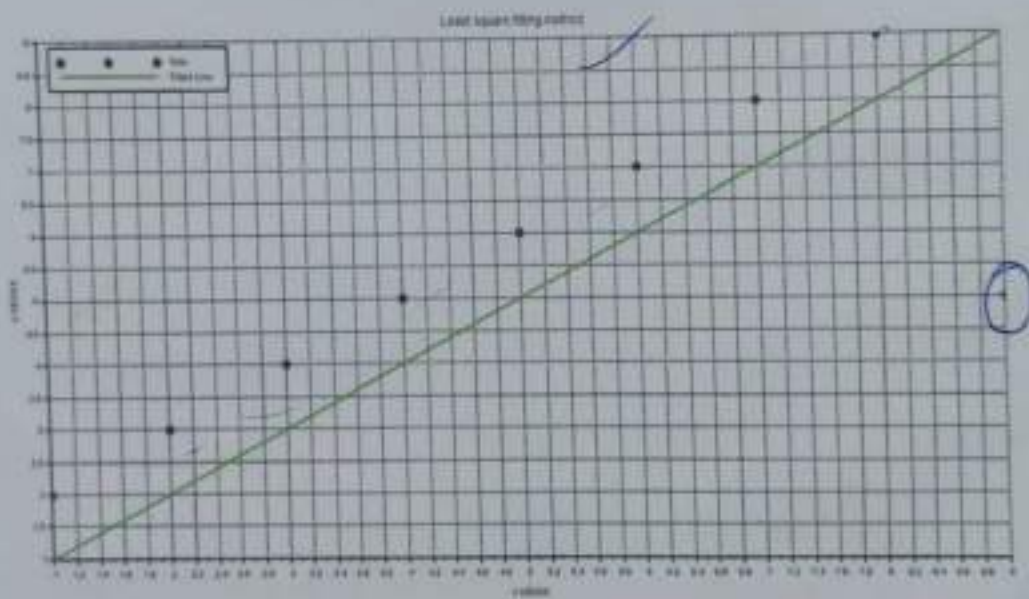
Scilab

• CALCULATION OF LEAST SQUARE FITTING :

```
clf;
x=[1,2,3,4,5,6,7,8,9]
y=[2,3,4,5,6,7,8,9,5]
n=length(x)
sx=sum(x)
sy=sum(y)
sx2=sum(x.*x)
sxy=sum(x.*y)
A=[sxn;sx2sx]
B=[sx;sxy]
sol=inv(A)*B
m=(sol(1))
c=(sol(2))
disp("The slop of the best fitted line is",m)
disp("And the constant is",c)
xset("thickness",2)
plot2d(x,y,-3)
plot2d(x,m*x+c,3)
xtitle('Least square fitting method','x values','y values');
hl=legend(['Data';'Fitted Line'],[2]);
xgrid(0)
```

D. D. D.
14/06/22

• OUTPUT :



Scilab

1. SOLVE THE S-WAVE SCHRODINGER EQUATION FOR THE GROUND STATE AND THE FIRST EXCITED STATE OF THE HYDROGEN ATOM [PROVIDED $V(r) = -(e^2/r)$]:

```

clf;clear;clc;
m=0.511*10^6;e=3.795;h=1973;
rmin=0.01;rmax=10;n=1000;
r=linspace(rmin,rmax,n);
d=r(2)-r(1)
V=zeros(n,n)
for i=1:n
    V(i,i)=(-(e^2)/r(i))
end
K=eye(n,n)*(-2)
for i=1:(n-1)
    K(i,i+1)=1;
    K(i+1,i)=1;
end
H=(-(h^2)/(2*m*d^2))*K+V;
[U,EV]=spec(H)
E=diag(EV)
disp('Ground state energy:'+string(E(1))+ 'eV','1st excited state
energy:'+string(E(2))+ 'eV');
plot(r',[abs(U(:,1)),abs(U(:,2))],'linewidth',3)
xlabel('r','fontsize',5);
ylabel('|Wavefunction|','fontsize',5);
l=legend('Ground State','1st excited energy',1);
xset('font size',4);
l.font_size=4;
xgrid();
//pdf export
filename='wavefunction_Coulomb_Potential'
xs2pdf(0,'Schrodinger_eqn');
xs2pdf(gcf(),'Schrodinger_eqn');

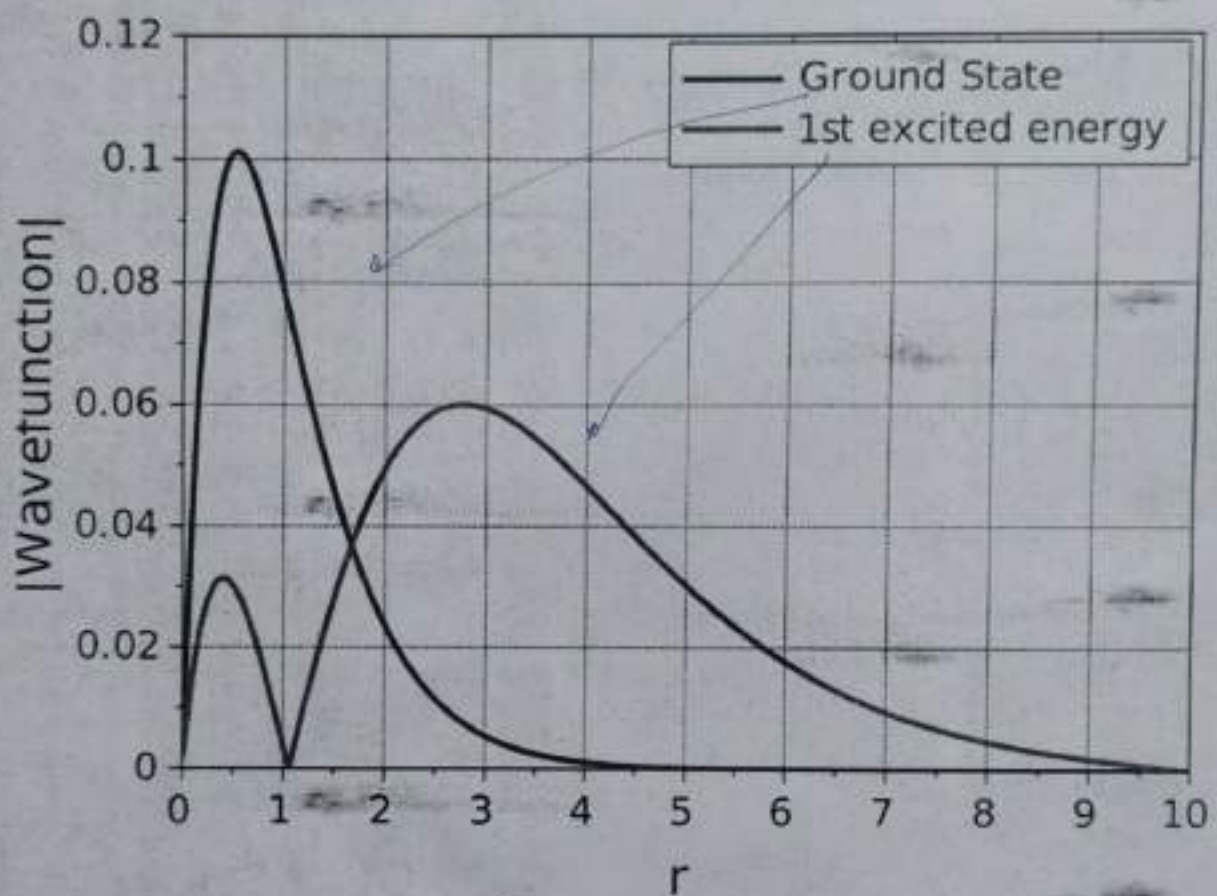
```

W. Sarai
03/12/22

RESULT :

"Ground state energy:-13.612724eV"

"1st excited state energy:-3.4026108eV"



2. SOLVE THE S-WAVE RADIAL SCHRODINGER EQUATION FOR AN ATOM WHERE 'm' IS THE REDUCED MASS OF THE SYSTEM, FOR SCREENED COULOMB POTENTIAL [PROVIDED $V(r) = -(e^2) \cdot (\exp(-r/a))/r$] AND $[a = 3A, 5A, 7A]$:

Scilab

```

df;clear;clc;
m=0.511*10^6;e=3.795;h=1973;a1=3;a2=5;a3=7;
rmin=0.01;rmax=10.0;n=1000;
r=linspace(rmin,rmax,n);
d=r(2)-r(1);r
V1=zeros(n,n);
for i=1:n
    V1(i,i)=-((e^2)*(exp(-r(i)/a1)))/r(i);
end
V2=zeros(n,n);
for i=1:n;
    V2(i,i)=-((e^2)*(exp(-r(i)/a2)))/r(i);
end
V3=zeros(n,n);
for i=1:n;
    V3(i,i)=-((e^2)*(exp(-r(i)/a3)))/r(i);
end
K=eye(n,n)*(-2)
for i=1:(n-1)
    K(i,i+1)=1;
    K(i+1,i)=1;
end
H1=(-(h^2)/(2*m*d^2))*K+V1;
H2=(-(h^2)/(2*m*d^2))*K+V2;
H3=(-(h^2)/(2*m*d^2))*K+V3;
[U1,EV1]=spec(H1);[U2,EV2]=spec(H2);[U3,EV3]=spec(H3);
E1=diag(EV1);E2=diag(EV2);E3=diag(EV3);
disp('Ground state energy (eV) for a=3A,5A and 7A')
disp([E1(1),E2(1),E3(1)]);
disp('1st excited state energy (eV) for a=3A,5A and 7A');
disp([E1(2),E2(2),E3(2)]);
subplot(3,1,1)
plot(r,[abs(U1(:,1)),abs(U1(:,2))],'linewidth',5);
xlabel('r','fontsize',3);ylabel('|Wavefunction|','fontsize',3);
l=legend('Ground State','1st excited state',1);
xset('font size',2);
l.font_size=2;
xgrid();
title('a=3A','position',[4,0.08])
subplot(3,1,2)
plot(r,[abs(U2(:,1)),abs(U2(:,2))],'linewidth',5);
xlabel('r','fontsize',3);ylabel('|Wavefunction|','fontsize',3);
l=legend('Ground State','1st excited state',1);
xset('font size',2);
l.font_size=2;
xgrid();
title('a=5A','position',[4,0.095])
subplot(3,1,3)
plot(r,[abs(U3(:,1)),abs(U3(:,2))],'linewidth',5);
xlabel('r','fontsize',3);ylabel('|Wavefunction|','fontsize',3);
l=legend('Ground State','1st excited state',1);
xset('font size',2);
l.font_size=2;
xgrid();
title('a=7A','position',[4,0.095])
filename='Screened_Coulomb_Potential'
xs2pdf(0,'Schrodinger_eqn2');
xs2pdf(gcf(),'Schrodinger_eqn2');

```

@Sanaai
10/12/2022

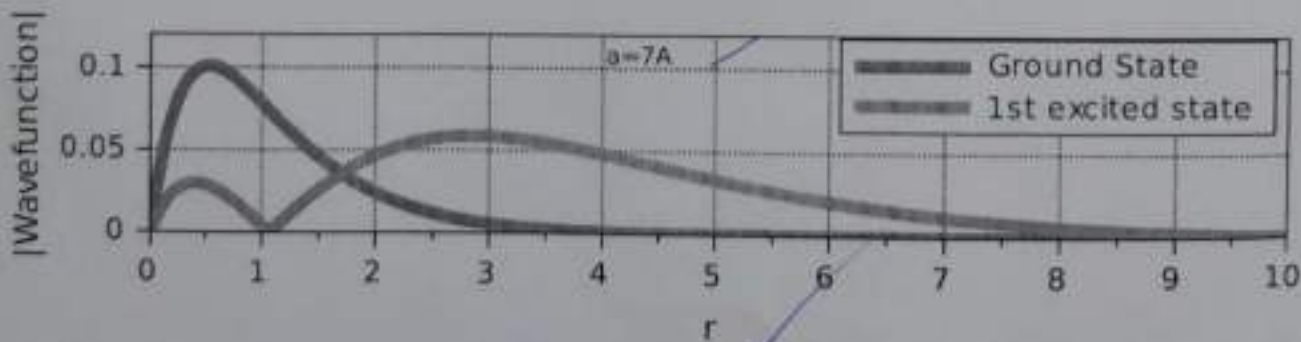
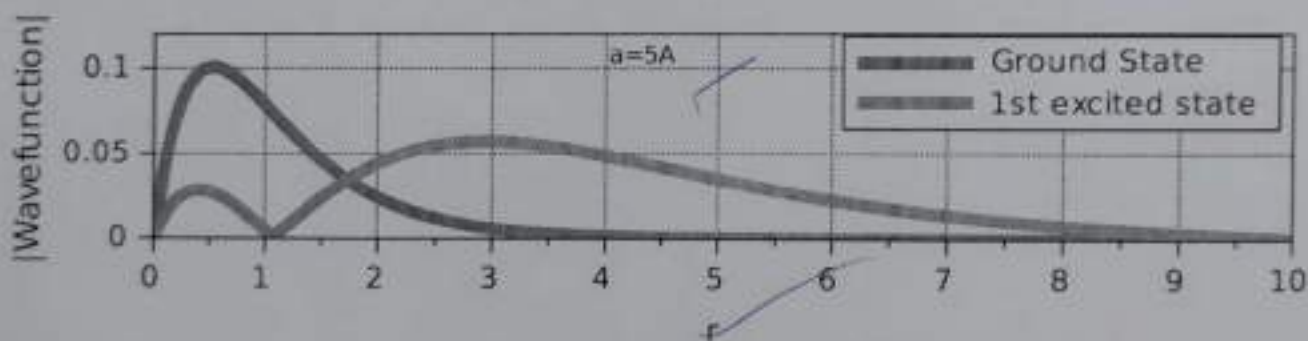
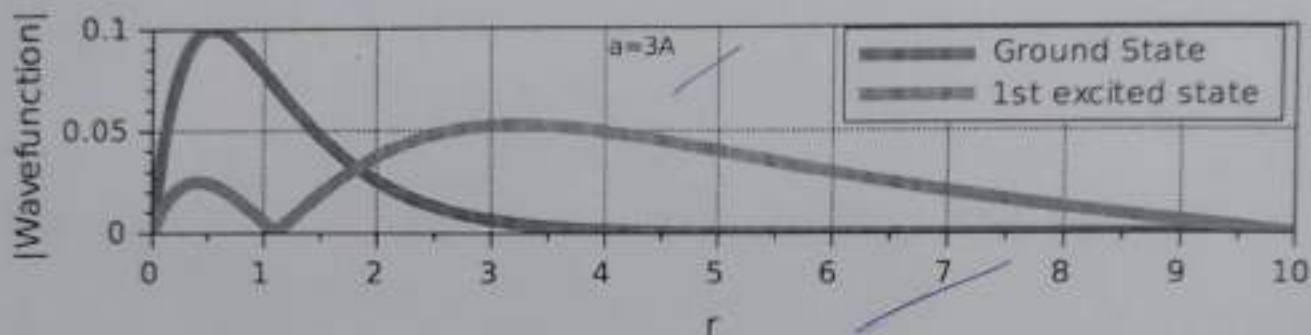
RESULT :

"Ground state energy (eV) for $a=3A, 5A$ and $7A$ "

-9.3859942 -10.946712 -11.66656

"1st excited state energy (eV) for $a=3A, 5A$ and $7A$ "

-0.482694 -1.272207 -1.7468519



3. SOLVE THE S-WAVE RADIAL SCHRODINGER EQUATION FOR A PARTICLE OF MASS 'm' FOR THE ANHARMONIC OSCILLATOR POTENTIAL $V(r) = (k \cdot r^2/2) + (b \cdot r^3/3)$ AND GIVEN $[b=0, 10, 30 \text{ MeV}]$:

```

clf;clear;clc;
m=940;h=197.3;k1=100;b1=0;b2=10;b3=30;
min=0.01;rmax=4;n=1000;
r=linspace(rmin,rmax,n);
d=r(2)-r(1); r
V1=zeros(n,n);
for i=1:n
    V1(i,i)=(k1*r(i)^2)/2+(b1*r(i)^3/3);
end
V2=zeros(n,n);
for i=1:n;
    V2(i,i)=(k1*r(i)^2)/2+(b2*r(i)^3/3);
end
V3=zeros(n,n);
for i=1:n;
    V3(i,i)=(k1*r(i)^2)/2+(b3*r(i)^3/3);
end
K=eye(n,n)*(-2)
for i=1:(n-1)
    K(i,i+1)=1;
    K(i+1,i)=1;
end
H1=(-(h^2)/(2*m*d^2))*K+V1;
H2=(-(h^2)/(2*m*d^2))*K+V2;
H3=(-(h^2)/(2*m*d^2))*K+V3;
[U1,EV1]=spec(H1);[U2,EV2]=spec(H2);[U3,EV3]=spec(H3);
E1=diag(EV1);E2=diag(EV2);E3=diag(EV3);
disp('Ground state energy (MeV) for b=0,10 and 30')
disp([E1(1),E2(1),E3(1)]);
disp('1st excited state energy (MeV) for b=0,10 and 30');
disp([E1(2),E2(2),E3(2)]);
subplot(3,1,1)
plot(r,[abs(U1(:,1)),abs(U1(:,2))],'linewidth',5);
xlabel('r','fontsize',3);ylabel('Wavefunction','fontsize',3);
l=legend('Ground State','1st excited state',1);
xset('font size',2);
l.font_size=2;
xgrid();
title('b=0','position',[2.1,0.05])
subplot(3,1,2)
plot(r,[abs(U2(:,1)),abs(U2(:,2))],'linewidth',5);
xlabel('r','fontsize',3);ylabel('Wavefunction','fontsize',3);
l=legend('Ground State','1st excited state',1);
xset('font size',2);
l.font_size=2;
xgrid();
title('b=10','position',[2.1,0.05]);
subplot(3,1,3)
plot(r,[abs(U3(:,1)),abs(U3(:,2))],'linewidth',5);
xlabel('r','fontsize',3);ylabel('Wavefunction','fontsize',3);
l=legend('Ground State','1st excited state',1);
xset('font size',2);
l.font_size=2;
xgrid();
title('b=30','position',[2.1,0.05])
filename='Screened_Coulomb_Potential';
xs2pdf(0,'Schrodinger_eqn3');
xs2pdf(gcf(),'Schrodinger_eqn3');

```

@Anam
16/12/22

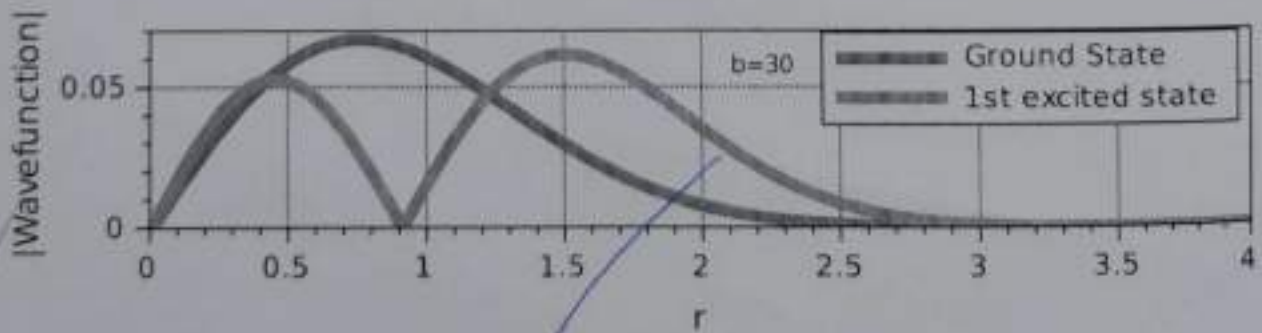
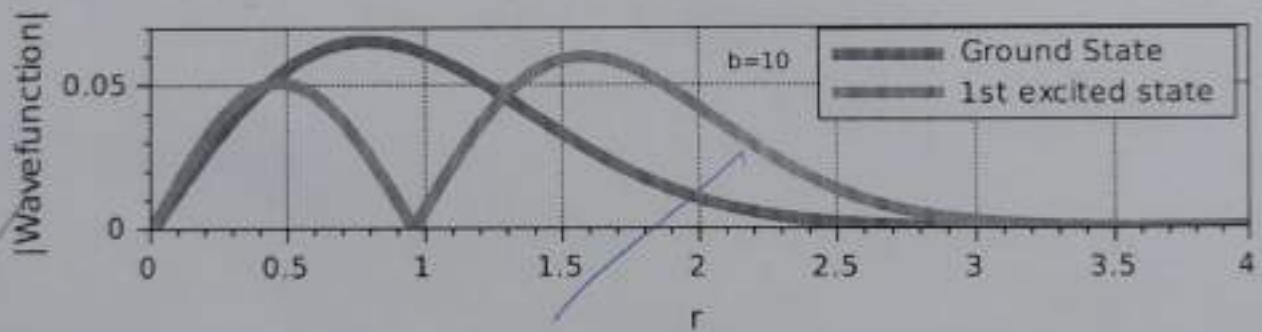
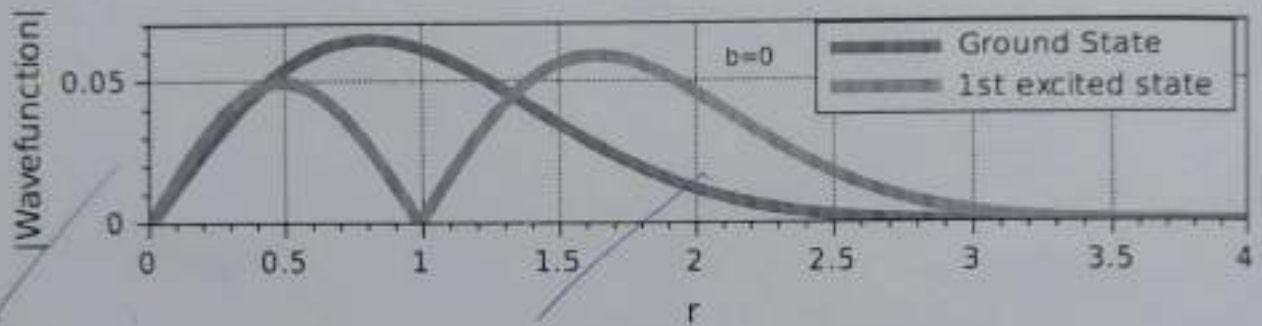
RESULT:

"Ground state energy (MeV) for $b=0,10$ and 30 "

97.07306 100.83197 107.55485

"1st excited state energy (MeV) for $b=0,10$ and 30 "

226.04834 238.92501 261.07822



Scilab

4. SOLVE THE S-WAVE RADIAL SCHRODINGER EQUATION FOR THE VIBRATION OF HYDROGEN MOLECULE (MORSE POTENTIAL) $[v(r)=D(\exp(-2*a*rp)-\exp(-a*rp))]$ and $[rp=(r(i)-r0)/r(i)]$:

```

clf;clear;clc;
m=940*10^6;h=1973;D=0.755501;a=1.44;r0=0.131349;
rmin=0.01;rmax=10;n=1000;
r=linspace(rmin,rmax,n);
d=r(2)-r(1); r
V1=zeros(n,n);
for i=1:n
    rp=(r(i)-r0)/r(i);
    V(i,i)=D*(exp(-2*a*rp)-exp(-a*rp))
end
K=eye(n,n)*(-2)
for i=1:(n-1)
    K(i,i+1)=1;
    K(i+1,i)=1;
end
H=(-(h^2)/(2*m*d^2))*K+V;
[U,EV]=spec(H);
E=diag(EV);
disp('Ground state energy:'+string(E(1))+ 'eV','1st excited state
energy:'+string(E(2))+ 'eV');
plot(r',[abs(U(:,1)),abs(U(:,2))],'linewidth',5);
xlabel('r','fontsize',5);ylabel('|Wavefunction|','fontsize',5);
l=legend('Ground State','1st excited state',1);
xset('font size',2);
l.font_size=2;
xgrid();
//pdf export
filename='Morse_Potential'
xs2pdf(0,'Schrodinger_eqn4');
xs2pdf(gcf(),'Schrodinger_eqn4');

```

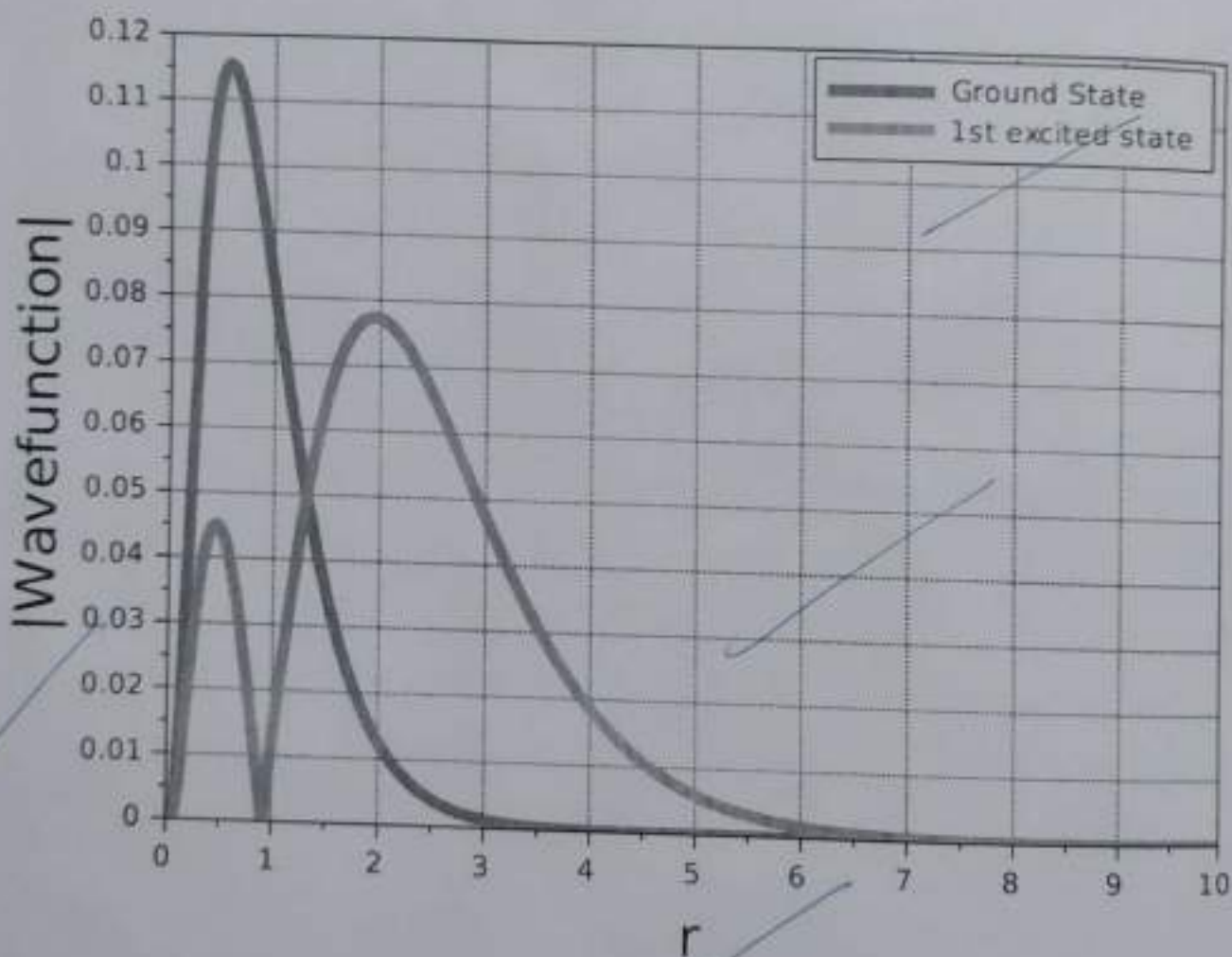
Q. Farai

17/12/22

RESULT :

"Ground state energy: -0.1545978eV "

"1st excited state energy: -0.1429532eV "



```

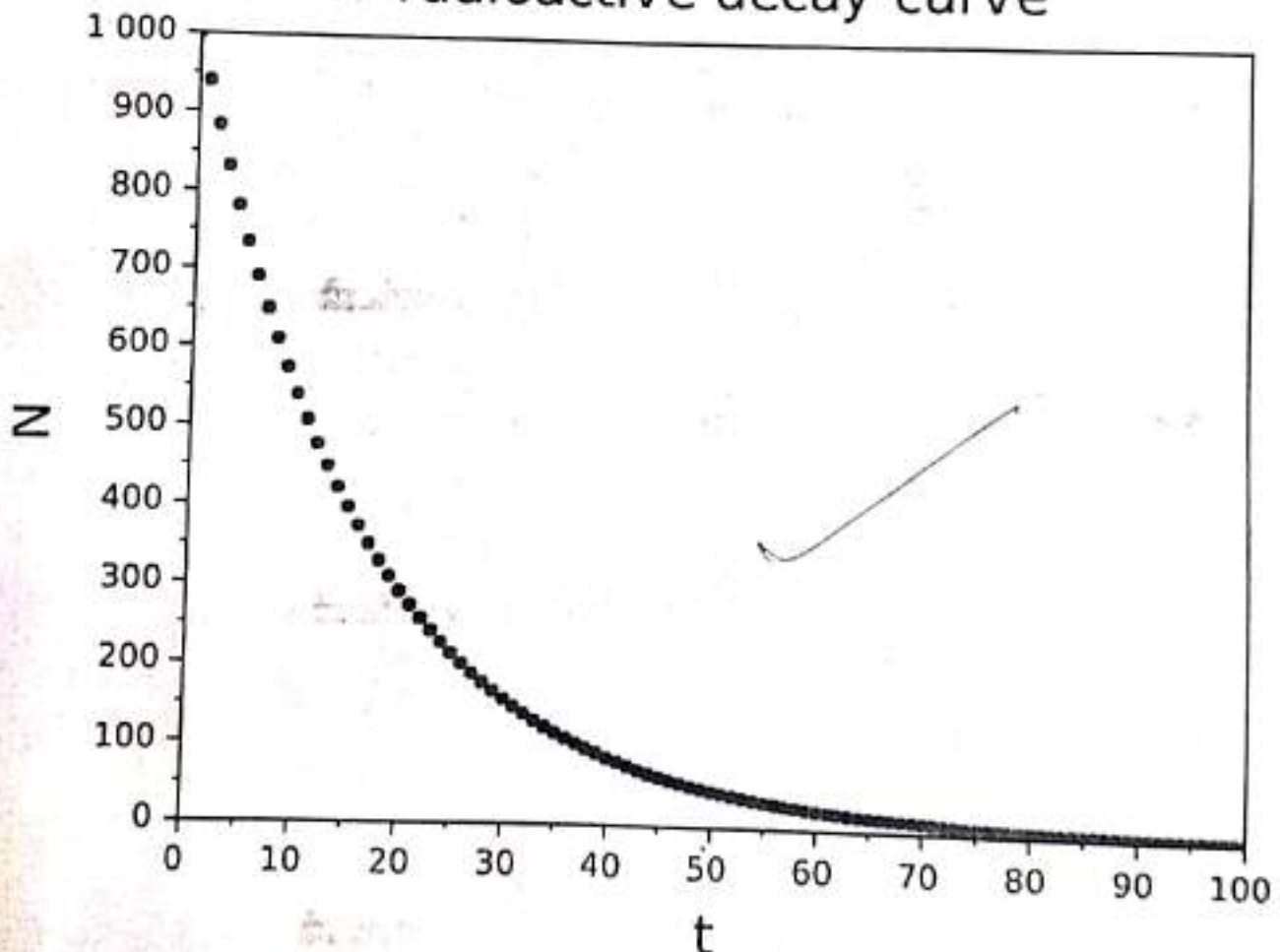
clear;clc;clf
function dNdt=f(N, t)
    dNdt=-lambda*N
endfunction
lambda=0.06;N0=1000;t0=0;
tf=100;n=100;
h=(tf-t0)/n
t(1)=t0;N(1)=N0
for i=1:n
    t(i+1)=t(i)+h
    N(i+1)=N(i)+h*f(N(i),t(i))
end
plot(t,N,'r+', 'linewidth',4)
xlabel('t','fontsize',5)
ylabel('N','fontsize',5)
title('radioactive decay curve','fontsize',5)
xset('font size',3)
filename='first order ORD equation.pdf'
xs2pdf(0,filename);
xs2pdf(gcf(),filename);

```

Method??

W. S. S. S. S.
09/12/22

radioactive decay curve



1st order differential equation by morden euler method

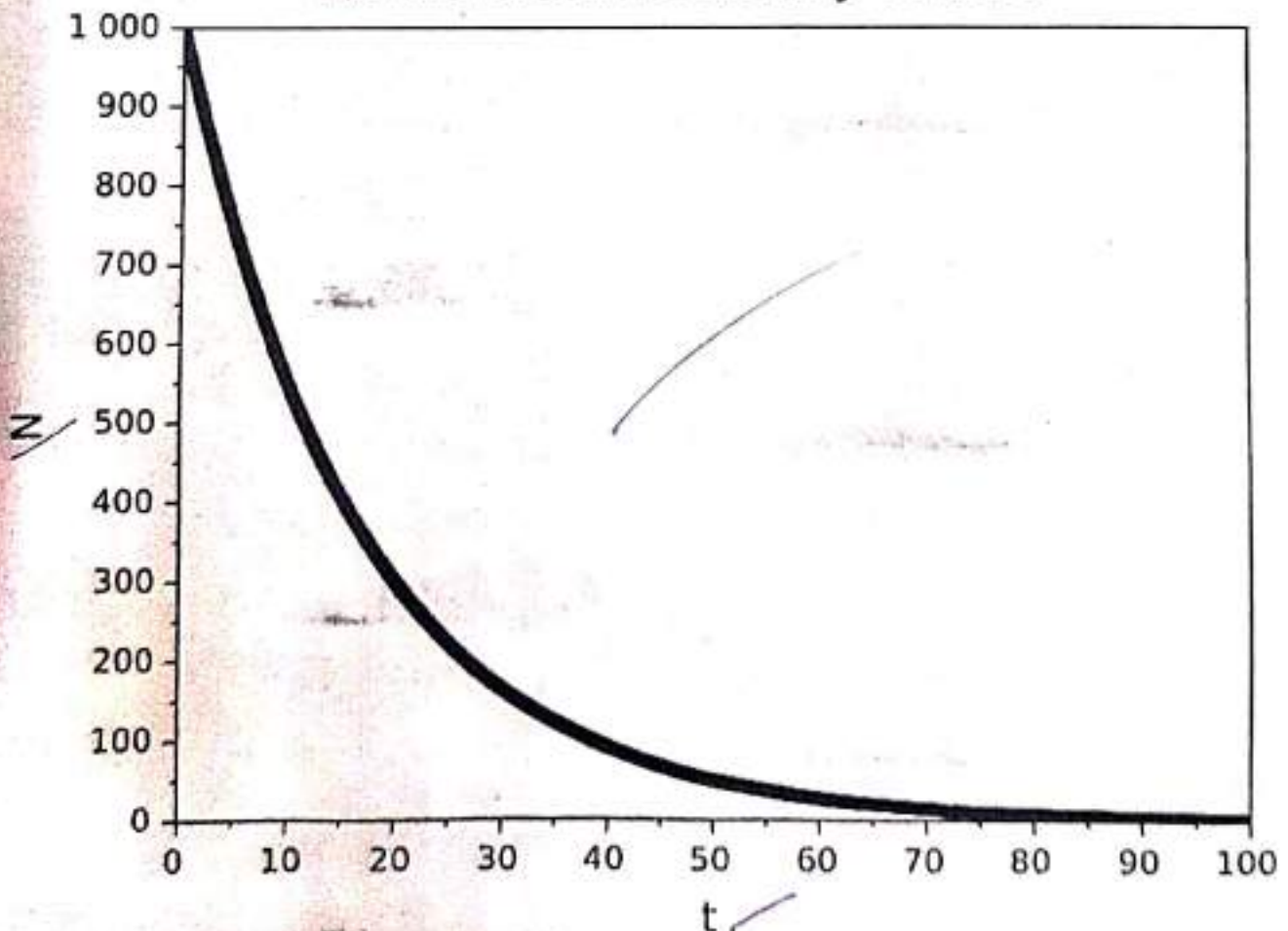
Scilab

```
clear;clc;clf
function dNdt=f(N, t)
    dNdt=-lambda*N
endfunction
lambda=0.06,N0=1000;t0=0;
tf=100;n=1000;
h=(tf-t0)/n
t(1)=t0;N(1)=N0
for i=1:n
    t(i+1)=t(i)+h
    Np(i+1)=N(i)+h*f(N(i),t(i))
    N(i+1)=N(i)+(h/2)*[f(N(i),t(i))+f(Np(i+1),t(i+1))]
end
plot(t,N,'b+','linewidth',4)
xlabel('t','fontsize',4)
ylabel('N','fontsize',4)
title('radioactive decay curve','fontsize',5)
xset('font size',3)
filename='first order ODE equation morden euler method.pdf'
xs2pdf(0,filename);
xs2pdf(gcf(),filename);
```

modified

Pranai
09/12/22

radioactive decay curve



Scilab

2nd order ODE by Runge Kutta method

```

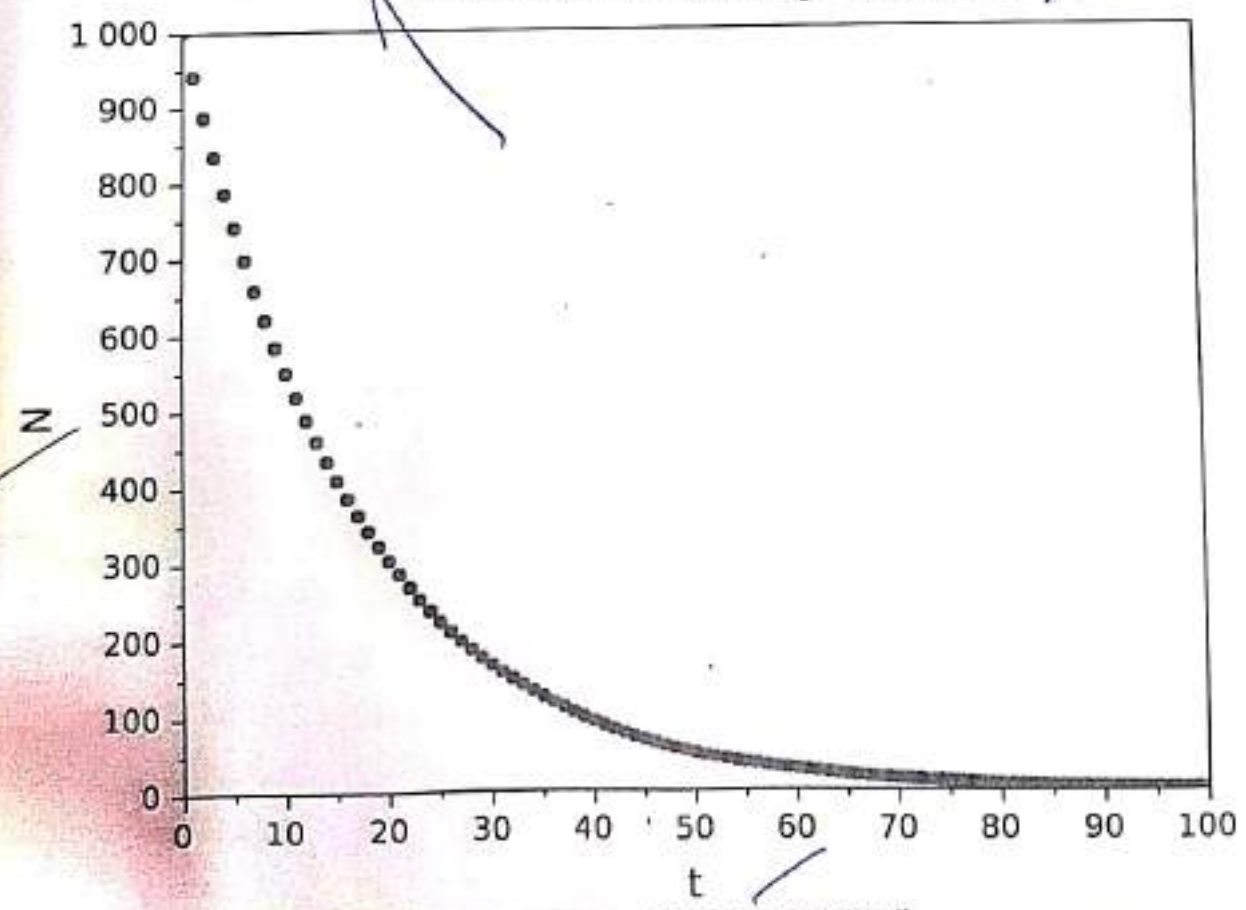
clear;clc;clf
function dNdt=f(t, N)
    dNdt=-lambda*N
endfunction
lambda=0.06;N0=1000;t0=0;
tf=100;n=100;
h=(tf-t0)/n
t(1)=t0;N(1)=N0
for i=1:n
    t(i+1)=t(i)+h
    k1=h*f(t(i),N(i))
    k2=h*f((t(i)+h),(N(i)+k1))
    N(i+1)=N(i)+(1/2)*(k1+k2)
end
plot(t,N,'b+', 'linewidth',4)
xlabel('t','fontsize',4)
ylabel('N','fontsize',4)
title('radioactive decay curve','fontsize',5)
xset('font size',3)
filename='2nd order ODE by Runge Kutta method.pdf'
xs2pdf(0,filename);
xs2pdf(gcf(),filename);

```

1st order ODE
 Solution by 2nd order
 Runge-Kutta method

Aravind
 09/12/22

radioactive decay curve



4th order ODE by Runge Kutta method

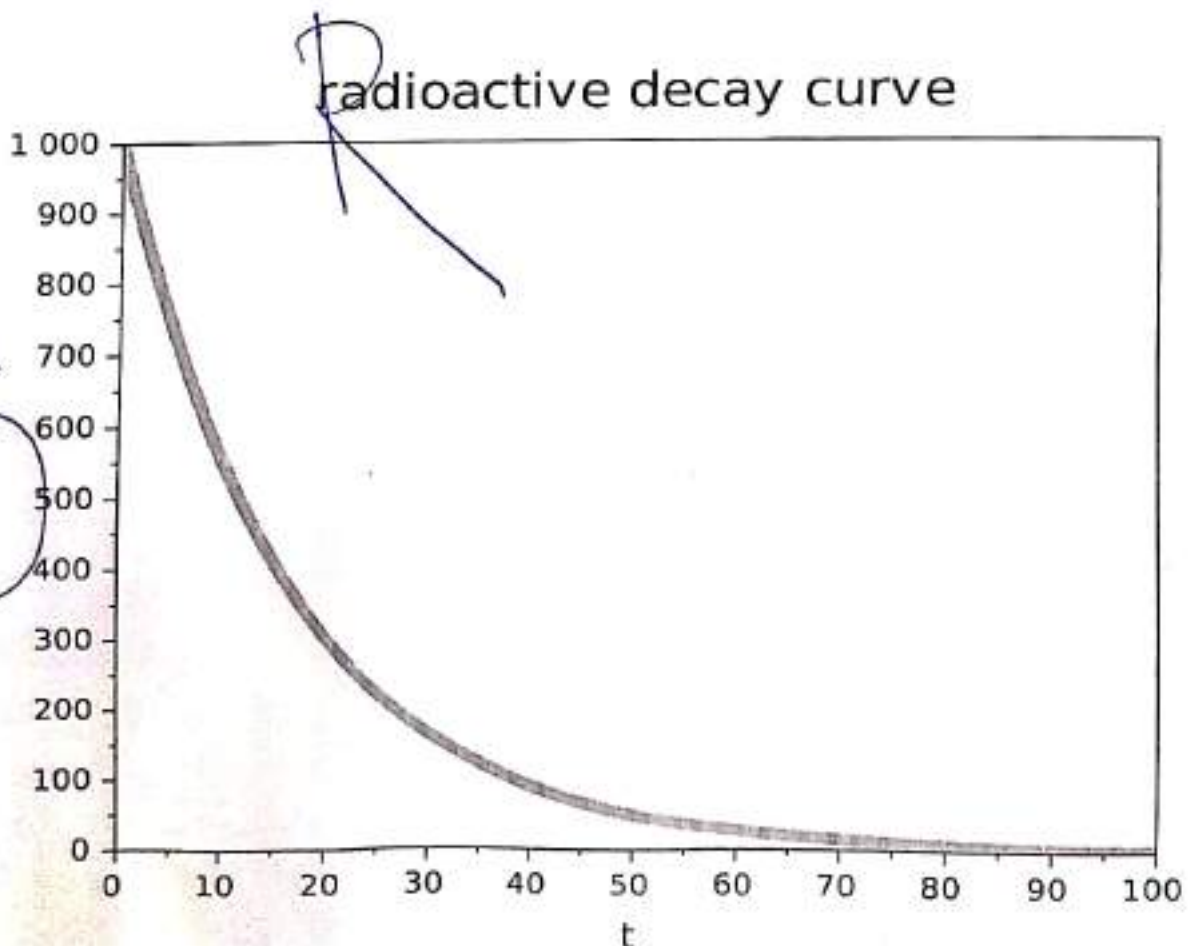
```

clear;clc;clf
function dkdt=f(k, t)
    dkdt=-lambda*k
endfunction
lambda=0.06;k0=1000;t0=0;
tf=100;n=1000;
h=(tf-t0)/n
k(1)=k0;t(1)=t0
for i=1:n
    t(i+1)=t(i)+h
    a1=h*f(k(i),t(i))
    a2=h*f(k(i)+(h/2),t(i)+(a1/2))
    a3=h*f(k(i)+(h/2),t(i)+(a2/2))
    a4=h*f(k(i)+h,t(i)+a3)
    k(i+1)=k(i)+(1/6)*(a1+2*a2+2*a3+a4)
end
plot(t,k,'r+','linewidth',2)
xlabel('t','fontsize',4)
ylabel('k','fontsize',4)
title('radioactive decay curve','fontsize',5)
xset('font size',3)
filename='4th order ODE by Runge Kutta method.pdf'
xs2pdf(0,filename);
xs2pdf(gcf(),filename);

```

Handwritten notes: X R K

Signature: @Sanaai
09/12/22



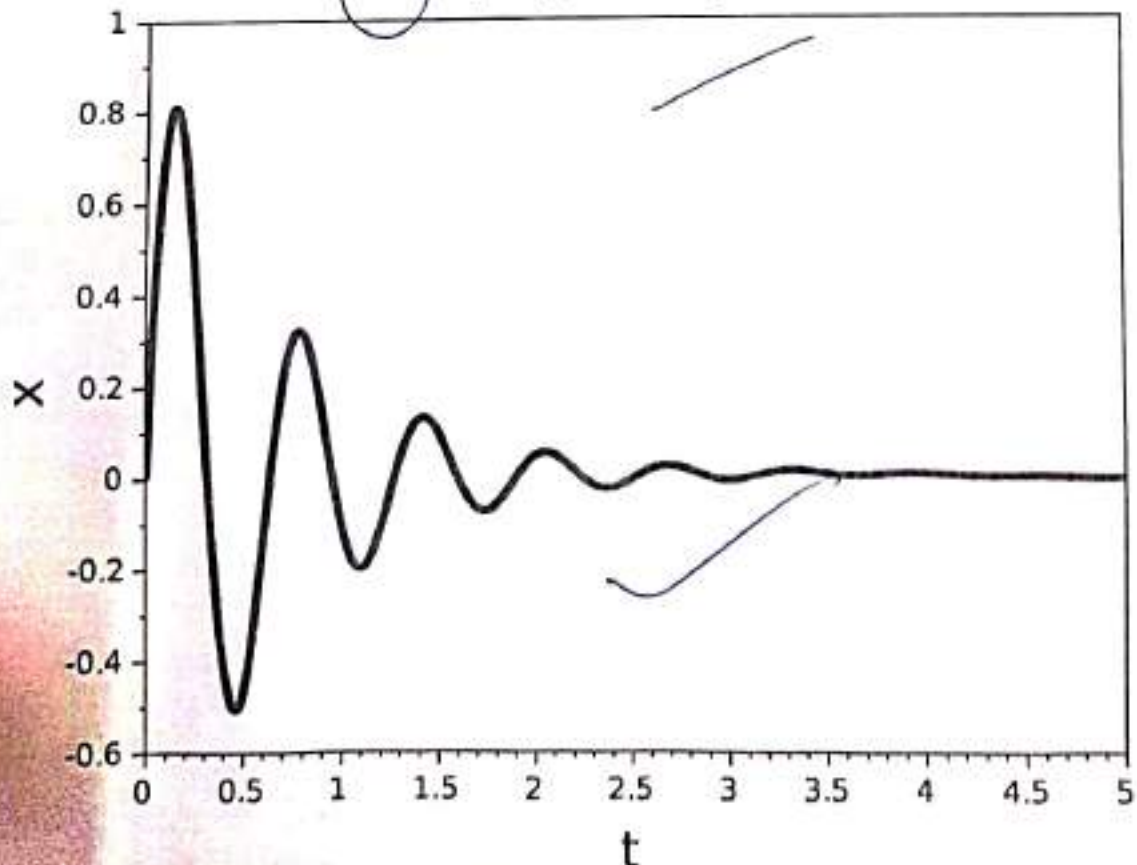
Scilab

Solution of 2nd order ODE by Euler's Method

```
clear;clc;clf
function [g, f]=ODE2(t, x, z)
    g=z
    f=-2*b*z-((omega0^2)*x)
endfunction
omega0=10;b=1.5;t0=0;z0=10;x0=0
tf=5;n=10000;
h=(tf-t0)/n
t(1)=t0;x(1)=x0;z(1)=z0, //xexact=x0;
for i=1:n-1
    [g,f]=ODE2(t(i),x(i),z(i))
    t(i+1)=t(i)+h
    x(i+1)=x(i)+h*g
    z(i+1)=z(i)+h*f
    //xexact(i+1)=z0*t(i+1)*exp(-omega0*t(i+1))
    //xexact(i+1)=x0*(1+omega0*t(i+1))*exp(-omega0*t(i+1))
end
//plot(t,x,'linewidth',4)
plot(t,x,'linewidth',4)
xlabel('t','fontsize',5)
ylabel('x','fontsize',5)
title('damping decay curve','fontsize',5)
xset('font size',3)
filename='2nd order ODE by euler method.pdf'
xs2pdf(0,filename);
xs2pdf(gcf(),filename);
```

P. Sankar
24/12/22

damping decay curve



Scilab

2nd order ODE by modified Euler's Method

```
clear;clc;clf
function [g, f]=ODE2(t, x, z)
    g=z
    f=-2*b*z-((omega0^2)*x)
endfunction
omega0=10;b=1.5;t0=0;x0=0;z0=10
tf=10;n=1000
h=(tf-t0)/n
t(1)=t0;x(1)=x0;z(1)=z0
for i=1:n-1
    [g1,f1]=ODE2(t(i),x(i),z(i))
    t(i+1)=t(i)+h
    xp(i+1)=x(i)+(h)*[g1]
    zp(i+1)=z(i)+(h)*[f1]
    [g2,f2]=ODE2(t(i+1),xp(i+1),zp(i+1))
    x(i+1)=x(i)+(h/2)*(g1+g2)
    z(i+1)=z(i)+(h/2)*(f1+f2)
end
plot(t,x,'linewidth',4)
xlabel('t','fontsize',5)
ylabel('x','fontsize',5)
title('Damping decay curve','fontsize',5)
xset('font size',3)
filename='2nd order ODE by modified euler method.pdf'
xs2pdf(0,filename);
xs2pdf(gcf(),filename);
```

@fana
13/01/23

